Study and Analysis of Geometric Effect of Ball Burnishing Process of Different Materials and Evaluation of Forces and Strain for Ballizing Process

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(Received: May 12, 2012; Accepted: June 20, 2012)

ABSTRACT

The process consists of forcing an oversized ball of a hard material through a premachines hole in softer material .The interference between the ball and the hole causes the hole to expand such that its deformation is partly plastic and partly elastic. The elastic deformation of the hole is recovered due to elastic spring back whereas the plastic deformation results in a slight permanent increase in the hole diameter after ballizing. Ball burnishing or Ballizing is a production process for improve the accuracy and surface finish of holes. This process is a mass production process for sizing and finishing holes. The sizing and finishing of holes depends upon the interference adopted for ballizing process. This paper is an attempt toward comparing surfaces effects ,Estimation of deflection, deformation, radial strain, stress and finished dimensions of Mild steel and Aluminium.

Key words: Ballizing, Alluminum Alloy, Alloy steel, C.L.A., Elastic Pressure, Plastic Deformation, BHN, Machining, Surface roughness, Technology devices and equipment.

INTRODUCTION

Geometrical Effects

When the ball passes through undersized hole, plastic deformation (i_p) takes place, this plastic deformation of the hole may be due to many variables. It has been confirmed experimentally that interference (i_p) and plastic deformation (i_p) have got a linear relationship i.e. they are proportional to each other.

If deviation is defined as the difference of ball diameter and hole diameter after ballizing the experiment also establishes that this deviation is also proportional to the amount of interference, velocity of movement of ball, and hardness of the base material. In the graphs all the dates are depicted which are gathered during experiments. In the experiments hardened steel balls were used for Aluminium and Mild steel bushes. We get a finished desired diameter of hole, after the ball of definite diameter is passed from the initial diameter. These data of initial and final diameters of hole and diameters of ball are based on the data accumulated by trial and error experimentation as discussed earlier.

By dividing with D (the diameter of ball) we have made the values of interference and plastic deformation.Non-Dimensional these nondimensional quantities are plotted which give a linear relationship as shown.

Construction of mathematical Models & equations

When the linear relationship is combined with the Hertz's theory of contact stress of elastic bodies the equation is obtained in the form

	Y	=	m. x + c
Let	d ₁	=	initial diameter of hole

 d_{b} = initial diameter of ball and d_{f} = final diameter of hole after ballizing.

Then $i_f = interference = d_b - d_i$ and permanent plastic deformation = $i_b = d_f - d_i$.

During the process, the ball and hole both will under go elastic deformation, although ball is hardened and bush is made of a softer material.

There fore interference =
$$i_f = i_p + e_h + e_b$$
 ...(1)

If we plot $i_{\!_{f}}$ against X axis and $i_{\!_{p}}$ against y asix we get.

 $i_p = m.i_f + C$...(2)

Where

m	=	slope of the line and
С	=	a constant, which is an
		intercept on v axis.

For perfect elastic deformation $\boldsymbol{i}_{_{\boldsymbol{p}}}=\boldsymbol{0}$ and for this

	i _f	=	$e_{b} + e_{h}$
Also	i,	=	$0 e_{b} = 0$
	i	=	eh

From above we get

 $m = e_h/e_b$ +eh and $C = -e_h$

$$i_p = \frac{e_h}{e_h + e_b} \quad i_f - e_h \qquad ...(3)$$

EXPERIMENTAL

From experimental observations value of m and C can be obtained.

Referring to figs it is seen that the slope m of the linear relationship line is of the order of unity. However from the authors model it was proposed that.

$$m = \frac{e_H}{e_B + e_H}$$

This suggests that the value of $e_{\rm B}$ is negligible. Thus it can be inferred that if the value of

$$e_{\rm B} = 0$$

$$m = \frac{e_{ii}}{o + e_{ii}} = 1$$

Hence m =1

The author has observed in his study of ballizing experiments that during the travel of the ball, the bush indicates a marked bulge and the ball bas less likelihood of strain. It may be pointed out that for excessively thick walled bushes the value of $e_{\rm B}$ cannot be adopted as zero.

A detailed theoretical model can be developed for estimating the values of strain e_{H} . This model is based on the Classical contact stress analysis founded by H. Hertz and presented in next section. In Ballizing there is almost rectangular strip contact between ball and the hole. A comparison of experimental results with Authors model is indicated in fig. .

Evaluation technique and methodology (For Strains)

Mathematical Model for strains in Ballizing

Referring the fig. is the length of contact and 2b is the breadth or width of contact. The interference between the ball and the hole wall gives rise to say pressure P per unit length.

The max. deflection is obviously occurring along xx.

We have to find an expression for this max. deflection.

It is true that the uniform pressure P along the line contact will give rise to semi elliptical pressure distribution as shown in the side view over the width of contact.

Adopting a simplified assumption that the pressure distribution is uniform of intensity q instead of semi elliptical (Based on Timoshenko and Goodier. Theory of Elasticity) a model is developed in this article.

Load Distributed over a part of the Boundary of a semi- infinite solid referring to













diagram

Deflection at o due to load q.s. $d\psi.~d_{_{S}}$ on the element is, processing on the lines.

Estimation of deflection due to pressure

$$w = \frac{1 - v^2}{\pi E} q.s. \, ds. \, \delta \psi$$

and the total deflection due to distributed pressure is.

$$w = \left(1 - \nu^{i}\right) \frac{4 a q}{x \overline{B}} \int_{0}^{\infty} w d^{i} S d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \left(1 - \nu^{i}\right) \cdot \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i} \psi_{i} + \frac{4 \delta g}{x \overline{B}} \int_{0}^{\infty} w d^{i}$$

(4 is used because there are 4 quadrants and the integral is only for the 1st quadrant) since f



















ds is the length of the chord for area







(Formula for calculation of deflection) Substituting in the expression for w,

$$w = \frac{4(1-v^2)q}{\pi \mathcal{B}} \left[a \log \frac{(\delta-a) + \sqrt{a^2 + \delta^2}}{(\delta+a) - \sqrt{a^2 + \delta^2}} + \delta \log \frac{(a-\delta) + \sqrt{a^2 + \delta^2}}{(\delta+a) - \sqrt{a^2 + \delta^2}} \right]$$

q = P_{ave}

For calculating the radial strain in the wall of the hole

b = width of strip of contact and is calculated by the equations

$$b = 0.88 \sqrt[3]{\frac{P_{\cdot} \left(E_{1} + E_{2}\right) \cdot D_{1} \cdot D_{2}}{2 E_{1} \cdot E_{2} \left(D_{1} + D_{2}\right)}} \qquad \dots (5)$$

Where
$$P = \frac{\partial E}{R_1} \left[\frac{1}{R_1^2 + R_2^2} + \mu \right]$$
 adopting $\delta = i_f/2$

Thus the radial strain in the wall of the hole Ballizing.

RESULT AND DISCUSSION

a.Evaluation and analysis of different interference

and with help of Fig.

Calculation for Radial Strain Aluminium Bushes

It is observed that with 150 and 50 microns interference respectively the final diameters obtained are 15.08 mm and 15.16 mm respectively. In the two bushes of 180 microns interference, from very rough surface as shown in fig. the final surface finish obtained was of 0.29 CLA, which indicates that a very good surface finish is obtained

In the two bushes, in which interference was kept only 50 microns, the surface finish was not so good as it gave the C.L.A. value as 0.65.

Calculation for Radial Strain

For Mild steel Bush with 80 Microns interference

E = 1.96×10^6 kg/sq mc p = 9903 kg/sq cm 2 a = π R₁ = 5.677 cm. μ = 0.3 R₁ = 0.9 cm R₂ = 1.8 cm and b = 0.0042 cm

The value of $\mathbf{e}_{_{\mathsf{H}}}$ calculated from the equation 3 which is

$$\therefore \qquad i_{\rho} = \frac{e_{k}}{e_{k} + e_{b}} \quad i_{\rho} = e_{k}$$

$$e_{H} = 0.5 \times 10^{-3} \text{ cm}$$
Taking D = 1.8 cm

Making it non dimensional

$$\frac{e_H}{D} = \frac{0.5 \times 10^{-3}}{1.8}$$
$$= 0.3 \times 10^{-3}$$

For Aluminum Bush of 180 microns interference

$$E = 0.675 \text{ x } 10^{6} \text{ kg/cm}^{2} \mu = 0.34$$

$$R_{1} = 0.9 \text{ cm} R_{2} = 1.8 \text{ cm}$$

$$2a = 2 \text{ p } R_{1} = 5.677 \text{ cm}. \text{ b} = 0.0114 \text{ c},$$

$$p = 3342.70 \text{ kg/ sqcm}$$

The value of $\mathbf{e}_{_{\rm H}}$ calculated from the equation

 $e_{\rm H}$ = 2.41 x 10⁻³ cm

$$\frac{e_n}{D} = \frac{2.41 \times 10^{-3}}{1.8} = 1.35$$

The intercept on the Y axis is 1.35 microns according to authors model and aimed at adopting equal to 1.

A value of 50 microns has been adopted for strain calculations in the case of steel, whereas an interference of 150 microns is adopted for Aluminum because of sinking in tendency of Aluminum, under the load of an indenting ball.

Fig. indicate comparison between authors model and Experimental results.

Linear Relationship
(a) For M.S.

$$i_p/D = 0.989$$
 (i_p/D) - 0.49275 x 10⁻³
(b) For Aluminum :
 $i_p/D=0.9644$ (i_p/D) - 2.2 x 10⁻³ more,
with high interference.

Test result show that in the harder points in other

DISCUSSIONS

On the result of investigation following Concluding remarks can be made

 From C.L.A. equation as well as C.L.A. plots it is clearly seen that improvement in surface finish is obtained material and more interference, axial load has increased. However, load is found to be independent of velocity.

2. Temperature does not rise so much during ballizing that it may affect the surface finish.

- After, ballizing internal diameters of bushes were measured; which established the fact that ballizing is a microsizing process.
- There is very slight increase in diameter when interference is less. Keeping the same oversized ball.
- Theoretically as well as experimentally it is confirmed that if ballizing is done with more interference high velocity and on moderate BHN value, improved surface finish is obtained.

6. Small circular contacts will be observed on

106

the entire circumference as shown in Fig. 6.1.

- Co-relation factor for C.L.A. equation is 0.9583 whereas for load equation correlation factor is calculated to be 0.8677.
- Both the results show values are quite high and curve fitting is satisfactory in both the cases.
- Variation of load on the length of bush shown that, nearly at the center of the bush length the load is maximum.
- Vibration in he load curve may be due to variation in the geometry accuracy while boring.

Objectives of the Proposed work

Sizing of bushes and final results will be of utility to industries.

This will help in achieving high precision by selecting appropriate "Ball-Tube" combination.

- (a) determination of optimum interference for best surface finish.
- (b) Proposing Mathematical models based on the theory of elasticity (Hertz contact stress equations) and theory of plasticity involving slip line field solutions.
- (c) Strain models Graph between i_n and i_r.
- (d) Axial force models (calculation of F for ballizing)
- (e) A comparison of the Mathematical Models of the Ballizing process with experimental Investigations.
- (f) Surface finish evaluations using qualitative and quantitative measures.

Some of the application are listed below

- 1. Honned and Lapped surfaces can be further smoothened.
- 2. Sizing and finishing of cross hole recesses.
- 3. Hallize can pre-stress the bores.
- Slight tapers can be removed.
- 5. Holes of gears, arms, valves, plates, levers, and chain links can be ballized.
- 6. Good results can be obtained by ballizing for the following materials.
- 7. Stainless steels, even Nickle chromium Alloys
- 8. Lead, Chromium, Copper and even some non-metals.
- 9. Sintered iron, sintered brass i.e. powdered

metals.

10. Case hardened surfaces can also be ballized, but these should be free from hard chromium layer.

Calculations applies equally for the β line starting at any points in AB wide range of application and being used as a noble process (ballizing), it has some Observations, Concluding remarks can be made are listed below :

1. Interference (i_f) should never exceed 2x of the hole diameter.

- 2. It has given very good results for bores ranging from 0.5 mm to 125 mm diameter.
- The length to diameter ratio has also been recommended length should not be more than 10 times or less than 1/10 of the bore diameter.
- 4. Wall thickness should also be greater than 1/10th of bore diameter.
- 5. Ballizing gave good results for hole diameters of 1.5 mm to 25 mm.
- Part to be ballized should not be harder than 45 Rc. The balls must be more hard than 65 Rc. (65 Rockwell C scale).
- 7. Materials should be homogeneous.
- 8. Wherever ballizing length is more, arrangement, for pressing or pulling the ball though the bore has to be devised.
- Porous, spongy or parts that wave hard spots due to casting, ballzing does not give uniform surface finish,
- 10. Although some cast parts are successfully ballized.
- 11. Every curved tubing cannot be ballized.
- Parts that have case hardened layer upto 0.4 mm, can be ballized, but beyond 0.4 mm case hardened depth, ballizing connot be carried out successfully.
- When heat treatment is done after ballizing, sizing and finishing of the ballized hole get disrupted.
- It has given a relationship of Ball over size and bore undersize to obtain the final diameter desired.
- 15. It has established that in a particular soft material (Medium Carbon Steel)
- When ballizng is done with a hard material ball the required bore diameters can be obtained as mentioned in the diagram (Fig.)

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